



Integrated Research Centre (IREC)

# Example Manual

Chloride ingress model for reinforced  
concrete according to fib bulletin 34 and  
MC2010



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## Chloride ingress model for reinforced concrete according to fib bulletin 34 and MC2010

### 1. Problem Description

The chloride-ingress model associated with fib Bulletin 34 [1], Model Code for Service Life Design, is a performance-based durability model for reinforced concrete. It treats chloride-induced depassivation of reinforcement as a limit-state problem and predicts chloride content as a function of depth and time.

### 2. Input variables

Notation	Variable	Value	Unit
$\Delta x$	Convection zone thickness Delta x	8.9	mm
$C_0$	Initial chloride content	0.02	wt-%/cem*
$C_s \Delta x$	Substitute surface chloride at Delta x	0.7	wt-%/cem *
$\Delta RCM_{0\_raw}$	RCM** coefficient in (1e-12 m <sup>2</sup> /s)	6.5	1e-12 m <sup>2</sup> /s
kt	Transfer parameter	1	-
be	Temperature regression constant	4800	K
$T_{ref}$	Reference temperature	293	K
$T_{real}$	Real concrete temperature	283	K
$\alpha$	Ageing exponent alpha	0.3	-
$C_{crit}$	Critical chloride threshold	0.4	wt-%/cem *
$x_{cover}$	Concrete cover depth (steel depth)	32	mm
t	Exposure time since chloride attack starts	20	years
x	Depth from exposed surface	40	mm

\* wt-%/cem = mass percent by weight of cement

\*\* RCM = Rapid Chloride Migration. It is the accelerated laboratory test used to obtain the chloride migration coefficient [1]

Input variables in this example case were taken from the example of fib Bulletin 59 [2].

### 3. Deterministic Calculation and Comments

A commonly used one-dimensional form of the model, explained also in [3] is:

$$C(x,t) = C_0 + (C_s, \Delta x - C_0) * [1 - \text{erf}((x - \Delta x) / (2 * \sqrt{D_{app,C}(t) * t}))]$$

with

$$D_{app,C}(t) = k_e * DRCM_{0,0} * kt * A(t)$$

and

$$k_e = \exp[ be * (1/T_{ref} - 1/T_{real}) ]$$

and

$$A(t) = (t_0 / t)^\alpha$$

In practical use, the model is based on Fick's second law of diffusion, but with two important engineering extensions: a near-surface convection zone and a time-dependent apparent diffusion coefficient. The convection zone represents the fact that the first millimetres of concrete exposed to chlorides are often influenced by wetting-drying and capillary transport, so transport there is not

described well by pure diffusion alone. The time-dependent diffusion term reflects ageing of the concrete, that is, the gradual reduction of transport due to continued hydration and pore refinement.

In this formulation,  $\Delta RCM,0$  is typically obtained from the NT BUILD 492 Rapid Chloride Migration test. The model therefore combines a laboratory-derived transport indicator with a physics-based profile equation and practical correction factors. In service-life design, the most common engineering check is to compare the chloride content at reinforcement depth  $a$  with the critical chloride threshold  $C_{crit}$ . Corrosion initiation is deemed to occur when  $C(x,t) \geq C_{crit}$ .

#### 4. Literature

- [1] fib Bulletin 34. Model Code for Service Life Design. *féderation internationale du béton (fib)*, 2006.
- [2] fib Bulletin 59. Condition control and assessment of reinforced concrete structures exposed to corrosive environments (carbonation/chlorides). State-of-art report. *féderation internationale du béton (fib)*, 2011.
- [3] Šomodíková, M., Strauss, A., and Zambon, I. fib models for modeling of chloride ion ingress and concrete carbonation: Levels of assessment of input parameters. *Structural Concrete*, 2020, 21(4), 1377–1384. <https://doi.org/10.1002/suco.201900401>